




$c = 1/12 \quad 1/21 = 2)$
 $0 =$
 $\int_1^{\infty} \frac{1}{x^2} dx = \left[-\frac{1}{x} \right]_1^{\infty} = 1$
 $\frac{1}{x^2} = x^{-2} \Rightarrow \int x^{-2} dx = \frac{x^{-1}}{-1} = -\frac{1}{x}$
 $\lim_{x \rightarrow \infty} -\frac{1}{x} = 0$
 $\lim_{x \rightarrow 1} -\frac{1}{x} = -1$
 $0 - (-1) = 1$

b) $\frac{\ln_{\text{avac}} \times 600 + 5/229.0 \text{ m}}{2043 \text{ c}062 \text{ 46-62}}$

$18 = \frac{0}{0} \text{ 8.25 sek 4,3 onde}$
 $63 = (1,1) \text{ 2.25 sek 4,3 onde}$

 $= 50 = \sqrt{t}$



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Origins in India

The concept of zero as a numeral and a placeholder was developed in ancient India around the 5th century CE.



Indian mathematician and astronomer Aryabhata used a placeholder system to denote powers of ten in his works.

Later, Brahmagupta (598–668 CE), another eminent Indian mathematician, formalized the rules for using zero in arithmetic in his treatise, the Brahmasphutasiddhanta.

Symbol for Zero

The symbol for zero, a small dot or circle, was first seen in Indian manuscripts.

The Sanskrit word for zero is "Shunya," meaning void or empty, reflecting its philosophical and mathematical significance.

Historical Progress

1. Place Value System

- The introduction of zero enabled the place value system, a foundational concept in positional notation.
- This system allowed for efficient representation of large numbers and simplified calculations.

2. Arithmetic Operations

- Brahmagupta defined zero and established rules for its use in operations.
- Adding or subtracting zero leaves a number unchanged.
- Multiplying a number by zero results in zero.
- Dividing by zero, however, remained undefined and sparked further mathematical exploration.

3. Algebra and Calculus

- Zero enabled the formulation of equations, paving the way for algebra.
- Its role as the origin in the number line allowed the development of negative numbers and concepts like limits and derivatives in calculus.



The invention of zero (0) is one of the most transformative contributions to mathematics and human civilization. It originated in ancient India and has profoundly impacted arithmetic, algebra, calculus, and modern computing.

Philosophical and Cultural Significance

1. Concept of Nothingness

- The philosophical idea of "Shunyata" (emptiness) in Indian culture influenced the abstraction of zero as a number.
- This dual role as a numeral and a concept makes zero unique in mathematics.

2. Symbol of Balance

- In Hindu philosophy, zero is often associated with balance and the cyclical nature of existence.



2. Adoption in Europe

- European scholars, such as Fibonacci, learned about zero through translations of Arabic texts.
- The Hindu-Arabic numeral system, including zero, replaced the Roman numeral system by the 15th century.

Impact of Zero

1. Scientific Advancements

- Zero is foundational to the binary system used in computers, laying the groundwork for modern technology.
- It has enabled advancements in physics, engineering, economics, and many other fields.

2. Simplifying Calculations

The concept of zero made complex calculations simpler, leading to a more profound understanding of mathematics.

3. Innovation and Creativity

Zero is often considered the epitome of innovation, representing how abstract ideas can drive practical advancements.

Spread to the World

1. Transmission to the Islamic World

- Indian mathematical texts, including the works of Aryabhata and Brahmagupta, were translated into Arabic by scholars like Al-Khwarizmi in the 8th century.
- Zero became integral to Islamic mathematics and subsequently spread to Europe.

Conclusion

The invention of zero is one of India's greatest intellectual contributions to the world. It transformed mathematics, enabling the development of sophisticated scientific and technological systems.

Beyond its mathematical applications, zero symbolizes the power of human creativity and the ability to derive profound insights from seemingly simple ideas.